## Assignment 3: Solving Equations (0.1\&2)

Name Please provide a handwritten response.

1a. One way to solve equations on TI calculators is to use the SOLVER. For example you can find the zeros of $f(x)=x^{2}-3 x+2$ using the solver.

| PROBLEM | TI-83 Plus/Ti-84 Plus | TI-86 |
| :---: | :---: | :---: |
| FIND ALL ZEROS OF:$f(x)=x^{2}-3 x+2$ | To access Solver press MATH 0 ENTER <br> The calculator will show: <br> Eqn: 0= <br> Enter $x^{2}-3 x+2$ ENTER. <br> BEWARE: The calculator will show the results of the last problem solved at this point. To find the first zero press ALPHA ENTER (SOLVE). To find another zero you must enter a 'guess' in the $\boldsymbol{x}=$ line and press ENTER. A good way to estimate a zero is to graph the function (Use the $\boldsymbol{y}=\mathrm{key}$ ) and look at where the graph crosses the $x$-axis. | To access SOLVER press 2ND GRAPH <br> The calculator will show: eqn: Enter $\boldsymbol{x}^{2}-3 \boldsymbol{x}+\mathbf{2}=\mathbf{0}$ ENTER. <br> BEWARE: The calculator will show the results of the last problem solved at this point. To find the first zero press F5 (SOLVE). <br> To find another zero you must enter a 'guess' in the $\boldsymbol{x}=$ line and press ENTER. You can use the GRAPH (F1) to obtain the graph from the solver menu. You will have to EXIT the graph and re-enter the SOLVER. <br> This process will need to be repeated for each zero. |
|  | graph and re-enter the Solver. This process will need to be repeated for each zero. | Use the polynomial solver 2ND PRGM (POLY) <br> The calculator will show POLY <br> order $=$ <br> When you enter 2 ENTER the calculator will show $\boldsymbol{a} 2 x^{\wedge} \mathbf{2}+\boldsymbol{a} \mathbf{x} \boldsymbol{x}+\boldsymbol{a 0}=\mathbf{0}$ and you enter the coefficients as $1,-3,2$ and press F5 (SOLVE) |

Record the results below.

1b. Now solve $y=x^{3}-x^{2}-2 x+2$ (enter as $0=x^{\wedge} 3-x^{2}-2 x+2$ ) and record the result below.

2a. Use the SOLVER to solve the equation $\boldsymbol{\operatorname { c o s }} \boldsymbol{x}=\boldsymbol{x}^{2} \mathbf{- 1}$ and record the results below. You may want to look at the graph to determine the number of zeros the function has. Enter your equation as follows:

| PROBLEM | TI-83 Plus/TI-84 Plus | TI-86 |
| :--- | :--- | :--- |
| Solve $\boldsymbol{\operatorname { c o s } \boldsymbol { x } = \boldsymbol { x } ^ { 2 } - \mathbf { 1 }}$ | Enter your equation as | Enter your equation as |
|  | $\emptyset=\boldsymbol{\operatorname { c o s } ( \boldsymbol { x } ) - \boldsymbol { x } ^ { 2 } + \mathbf { 1 } \text { and the }}$$\boldsymbol{\operatorname { c o s } \boldsymbol { x } = \boldsymbol { x } ^ { 2 } - \mathbf { 1 } \text { and use the }}$ <br>  <br>  <br>  <br> graph as $\boldsymbol{y}=\boldsymbol{\operatorname { c o s }}(\boldsymbol{x})-\boldsymbol{x}^{2}+\mathbf{1}$ | graph option as above to <br> estimate the second zero. |

Record the output below.
2b. We can find all the zeros of $\boldsymbol{\operatorname { c o s }} \boldsymbol{x}=\boldsymbol{x}^{2}-\mathbf{1}$ by starting from a graph.

| PROBLEM | TI-83 Plus/TI-84 Plus | TI-86 |
| :---: | :---: | :---: |
| Solve $\boldsymbol{\operatorname { c o s }} \boldsymbol{x}=\boldsymbol{x}^{2}-1$ from a graph. | $\text { Graph } y=\cos (x)-x^{2}+1$ | $\text { Graph } y=\cos x-x^{2}+1$ |
|  | Go to CALC (2ND TRACE) and select 2 zero. Use arrow | From the GRAPH menu MORE MATH ROOT (F1) |
|  | keys to move the cursor left of the zero for a Left Bound and | Use arrow keys to move the cursor left of the zero for a Left |
|  | then use them to find a Right | Bound and then use them to find a Right Bound. Press |
|  | Bound. Press ENTER to set each bound. You can just press | ENTER to set each bound. |
|  | ENTER for Guess and the calculator will give you the zero. | You can just press ENTER for Guess and the calculator will give you the zero. |

Sketch the graph and record the results below. Do they agree with the results from 2a?

$-10 \leq x \leq 10,-10 \leq y \leq 10$
2c. Now change parts $\mathbf{a}$ and $\mathbf{b}$ to solve the equation $\boldsymbol{\operatorname { c o s }} \boldsymbol{x}=\boldsymbol{x}^{2}-\mathbf{5}$. Remember to replace the $\boldsymbol{x}=$ with an appropriate value suggested by your graph. Record your solution below.


